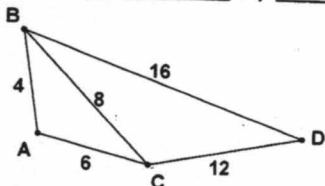
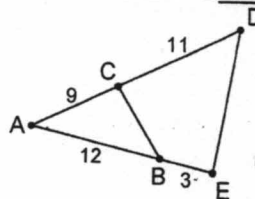


If the triangles in 1 – 3 can be proved similar, (1) Complete the similarity statement and (2) Tell which theorem or postulate you would use. If they cannot be proved similar then write "None."

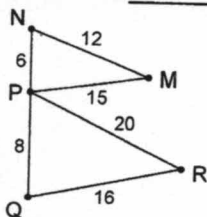
1.  $\triangle ABC \sim \triangle CBD$  by PPP



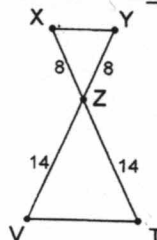
2.  $\triangle ABC \sim \triangle ADE$  by PAP



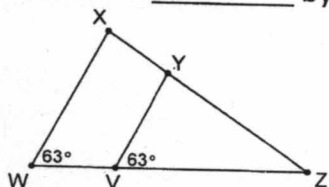
3.  $\triangle NMP \sim \triangle PRQ$  by PPP



4.  $\triangle XYZ \sim \triangle TVZ$  by PAP



5.  $\triangle YVZ \sim \triangle XWZ$  by AA



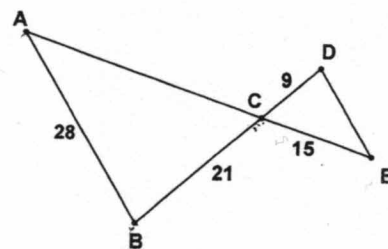
6.  $\triangle BAC \sim \triangle DEC$

$$\frac{BC}{DC} = \frac{21}{9} = \frac{7}{3}$$

a. What is the scale factor of  $\triangle BAC$  to  $\triangle DEC$ ?  $\frac{7}{3}$

b. Find AC. 35

$$\frac{7}{3} = \frac{AC}{15}$$



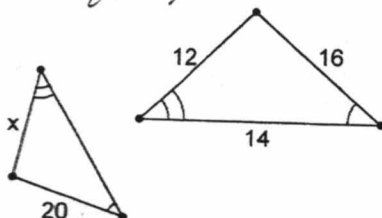
c. Find DE. 12

$$\frac{7}{3} = \frac{28}{DE}$$

Find the value of x.

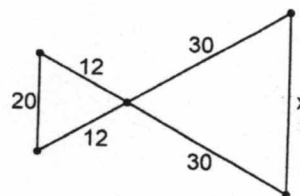
7.  $x =$  15

$$\frac{16}{20} = \frac{12}{x}$$



8.  $x =$  50

$$\frac{12}{30} = \frac{20}{x}$$



9. Midsegment of a Triangle:

- a. The midsegment of a triangle joins the midpoint of two sides of a triangle.
- b. The midsegment is parallel to the third side and is  $\frac{1}{2}$  the length of the third side.

10. The sum of the measures of the angles of a triangle is 180.

11. The exterior angle of a triangle is equal to sum of the opposite interior  $\angle$ 's of the triangle.

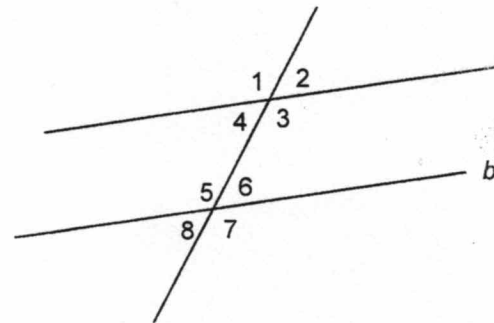
12. Triangle Proportionality Theorem and its converse:

- a. A line that is parallel to one side of a triangle divides the other two sides proportionally.
- b. If a line intersects 2 sides of a triangle so that it divides those 2 sides proportionally, then it is parallel to the 3<sup>rd</sup> side.

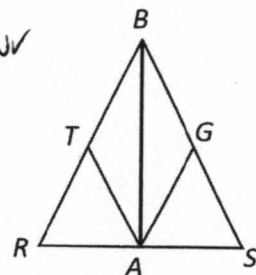
Use the diagram to answer 13 – 14.

13. Name the type of each given angle pair.

- a.  $\angle 3$  and  $\angle 5$   
Alt Int.
- b.  $\angle 1$  and  $\angle 7$   
Alt exterior
- d.  $\angle 8$  and  $\angle 6$   
vertical
- e.  $\angle 4$  and  $\angle 3$   
suppl.



For each problem, use the definitions and postulates we have covered to **state a valid conclusion** for each set of givens and **give a reason** for your conclusion. Good conclusions should use *all the information in the givens*. The reason should be either a brief statement of the definition used or the name of the postulate used. For problems #1 - 8, use the figure below. Treat each problem as *separate* (the givens for one problem do *not* apply to the following problems). You may assume  $\overline{BTR}$ ,  $\overline{BGS}$ , and  $\overline{RAS}$  for all eight problems.



1. Given:  $\overline{AB}$  bisects  $\angle RBS$ .

Conclusion/Reason:  $\triangle RTA \cong \triangle BSA$  Def of bisector

2. Given:  $\overline{RA} \cong \overline{AS}$ .

Conclusion/Reason:  $RA = AS$  Def of congruence

3. Given:  $\angle BAT \cong \angle BAG$ ,  
 $\angle RAT \cong \angle SAG$

class discussion

Conclusion/Reason: \_\_\_\_\_

4. Given:  $\overline{BR} \cong \overline{BS}$

Conclusion/Reason:  $BR = BS$  Def of congruence (unit 4B)

5. Given:  $\overline{BR} \cong \overline{BS}$ ,  
 $\overline{TR} \cong \overline{GS}$ .

class discussion

Conclusion/Reason: \_\_\_\_\_

6. Given:  $\angle RAT \cong \angle ATR$ ,  $\angle ATR \cong \angle TRA$

Conclusion/Reason:  $\angle RAT \cong \angle TRA$  transitive

7. Given:  $\angle BAR$  is a right angle.

Conclusion/Reason:  $m\angle BAR = 90$  Def right  $\angle$

8. Note: draw  $\overline{TG}$  on the diagram and label its intersection with  $\overline{AB}$  as point  $M$ .

Given:  $\overline{AB}$  bisects  $\overline{TG}$  at  $M$ .

Conclusion/Reason:  $\overline{TM} \cong \overline{MG}$  Def segment bisector